### Studies on the thermal decomposition kinetics of LiPF<sub>6</sub> and LiBC<sub>4</sub>O<sub>8</sub>

LI SHI-YOU<sup>a,b</sup>\*, MA PEI-HUA<sup>a</sup>, CUI XIAO-LING<sup>a</sup>, REN QI-DU<sup>a,b</sup> and LI FA-QIANG<sup>a</sup>

<sup>a</sup>Qinghai Institute of Salt Lakes, Chinese Academy of Sciences, Xining 810 008, China <sup>b</sup>Graduate School of the Chinese Academy of Sciences, Beijing 100 039, China e-mail: sylilw@yahoo.com.cn

MS received 23 October 2007; revised 31 December 2007

**Abstract.** Thermal decomposition of LiPF<sub>6</sub> and LiBC<sub>4</sub>O<sub>8</sub> (lithium *bis*(oxalate)borate, abbreviated as LiBOB) were studied using TG (thermogravimetry)-DTG (derivative thermogravimetry) method with different heating rate  $\beta$  of 5, 10, 20 and 40°C min<sup>-1</sup> or at different constant temperature  $\theta_C$  (109·80, 118·79, 148·41, 176·86°C for LiPF<sub>6</sub> and 278·51, 298·13, 317·65, 336·13 for LiBOB). From the non-isothermal kinetics we calculate that  $n_{\text{LiPF_6}}$  is 1·01,  $n_{\text{LiBOB}}$  is 1·04,  $E_{\text{LiPF_6}}$  is 91907·61 J/mol, and  $E_{\text{LiBOB}}$  is 205179·88 J/mol; from the isothermal kinetics we calculate that n for both LiPF6 and LiBOB are 1,  $E_{\text{LiPF6}}$  is 91907·61 J/mol,  $E_{\text{LiBOB}}$  is 205179·88 J/mol,  $\ln A_{\text{LiPF_6}}$  is 16·89 s<sup>-1</sup>, and  $\ln A_{\text{LiBOB}}$  is 31·96 s<sup>-1</sup>. The results obtained from the two ways have minor differences and can validate each other.

Keywords. LiPF<sub>6</sub>; LiBOB; TG–DTG; non-isothermal kinetics; isothermal kinetics.

### 1. Introduction

Electrolyte which plays a crucial role in ion transport is one of the most important components of lithiumion batteries. The current electrolyte generally used in lithium-ion batteries is mainly composed of LiPF<sub>6</sub> and a blend of alkyl carbonates.  $LiPF_6$  has been widely adopted for more than a decade, owing to its necessary pre-requisites for use in lithium ion batteries, for example, it is easily soluble in various solvents. can lead to electrolytes having high conductivities, and has a high level of electrochemical stability. However, hazardous reactions of LiPF<sub>6</sub> are widely reported recently.<sup>1,2</sup> Even if only slight, LiPF<sub>6</sub> decomposes to LiF and PF<sub>5</sub>, and the latter not only can lead to a cationic polymerization, but also readily hydrolyses to form HF and PF<sub>3</sub>O which can lead to the dissolution of the transition-metal oxides.<sup>3,4</sup>

Recently, LiBC<sub>4</sub>O<sub>8</sub> (lithium *bis*(oxalate)borate, abbreviated as LiBOB) has been reported as a promising candidate for lithium-ion batteries, with nonhalogen, high decomposition temperature ( $302^{\circ}$ C), effective electrochemical stability to Fe-based and Mn-based metal oxide, and improved cycling performance. More important is that it can effectively stabilize the graphite structure even in pure propylene carbonate (PC).<sup>5,6</sup> But as a new candidate for lithiumion chemistry, it still has many disadvantages. For example, it is difficult to dissolve in solvents of carbonates, and is less conductive in typical carbonate mixtures when compared with  $\text{LiPF}_{6}$ .<sup>7</sup>

Considering that LiPF<sub>6</sub> and LiBOB both have their own characters, and neither of them is absolutely suitable for lithium-ion batteries, LiPF<sub>6</sub> and LiBOB, as two most important lithium salts for lithium-ion batteries, will exist together in a certain period. So, it is necessary to study on these two salts. Electrochemical performances of these two salts have been reported extensively, but the reports about their thermodynamic performances are absent, especially about the thermal decomposition kinetics. In these limited reports, most of them are about LiPF<sub>6</sub> on which thermal decomposition reaction has been mentioned in two steps shown as (1) and (2),<sup>8–10</sup> only a few reports about LiBOB.<sup>11</sup>

$$LiPF_{6}(s) + H_{2}O(g, trace) \rightarrow LiF(s) + OPF_{3}(g) + 2HF(g).$$
(1)

$$LiPF_6(s) \to LiF(s) + PF_5(g).$$
<sup>(2)</sup>

In our work, we studied on the thermal decomposition kinetics of  $\text{LiPF}_6$  and LiBOB by TG–DTG method, and obtained many useful thermodynamic and kinetic information that can help us to understand their characters such as the condition of preparation and preservation.

<sup>\*</sup>For correspondence

### 2. Experimental

LiPF<sub>6</sub> (99·99%) was obtained from Sigma-Aldrich, Inc. LiBOB was synthesized in our laboratory following a solid-state reaction,<sup>11</sup> and purified to above 99·5% by repeated recrystallizations with anhydrous CH<sub>3</sub>CN. High purity (99·999%) argon was obtained from Qinghai Laoqian Gas Limited Corporation.

The *in situ* TG (thermogravimetry)-DTG (derivative thermogravimetry) measurements were conducted using a TA Instruments SDT Q600 in argon atmosphere. The samples were first measured in 90  $\mu$ L ceramic pans from room temperature to 400°C with the average heating rate  $\beta$  of 5, 10, 20 and 40°C min<sup>-1</sup>, then were measured at different constant temperature  $\theta_C$ . The room temperature was about 25°C and the relative humidity was about 45% during the experiments.

### 3. Results and discussion

### 3.1 Thermal decomposition

Figure 1 shows TG–DTG curves of LiPF<sub>6</sub> and LiBOB from room temperature 400°C with  $\beta$  of 10°C min<sup>-1</sup>. Table 1 shows their thermal analysis dates (I and II respectively to represent the two thermal decomposition steps shown in figure 1). Similar with LiPF<sub>6</sub>, LiBOB's thermal decomposition also includes two reactions shown as (3) and (4). That does not support the view that LiBOB is much inerter than LiPF<sub>6</sub>



**Figure 1.** TG–DTG curves of thermal decomposition  $(\beta = 10^{\circ}$ C/min). (a) LiPF<sub>6</sub>, (b) LiBOB.

when in contact with  $H_2O$ , but similar to the view of Wu that LiBOB can be readily hydrolysed by ambient moisture.<sup>7</sup>

$$LiBOB(s) + H_2O(g, trace) \rightarrow$$
$$LiHC_2O_4(s) + CO(g) + CO_2(g) + HBO_2(s). \quad (3)$$
$$2LiBOB(s) \rightarrow Li_2CO_3(s) + 4CO(g) +$$

$$3CO_2(g) + B_2O_3(s).$$
 (4)

# 3.2 Studies on the non-isothermal kinetics of thermal decomposition

The decomposition peak temperature  $\theta_m$  depends on the  $\beta$ , that has been observed during many experiments.<sup>10</sup> Figure 2 shows  $\theta_m$  of the second decomposition step in DTG curve of LiPF<sub>6</sub> and LiBOB with various  $\beta$  of 5, 10, 20 and 40°C min<sup>-1</sup>, and reveals that for the two salts,  $\theta_m$  increases along with the increasing of  $\beta$ . The reason is that with the increasing of  $\beta$ , more and more sample is decomposed at higher temperature; that may cause the deviation from equilibrium conditions.

Further, relationship between  $\beta$  and  $\theta_m$  could be displayed by the (5) given by Kissinger:<sup>12</sup>

$$d\ln(\beta'/T_m^2)/d(1/T_m) - E_a/R,$$
(5)

where  $T_m$  is the peak temperature ( $T_m = \theta_m + 273.15$ , with the unit of K),  $\beta'$  the average heating rate



**Figure 2.**  $\theta_m$  of the second decomposition step in DTG curve with various  $\beta$ . (a) LiPF<sub>6</sub>, (b) LiBOB.

Sample	Decomposition reaction	Range of temperature (°C)	$\theta_p$ (°C)	Rate of the mass loss (%)
LiPF <sub>6</sub>	I II I + II	49·42~77·80 125·06~250·25	64·45 193·07	2.980 79.87 82.85 (82.93)*
LiBOB	I II I + II	71.66~118.85 288.15~382.41	99.92 335.99	2·768 60·76 63·53 (62·97)*

**Table 1.** The thermal analysis data of  $LiPF_6$  and LiBOB.

\*Rate of the theoretical mass loss

 $(\beta' = \beta/60)$ , with the unit of K/s), *R* the molar gas constant (R = 8.314 J mol<sup>-1</sup> K<sup>-1</sup>) and  $E_a$  the apparent activation energy with the unit of J/mol. If we construct the curve of  $\ln(\beta'/T_m^2)$  with  $1/T_m$ , we should get a line, with the slope value of  $-E_a/R$ . So from figure 2 and (5), (6) for LiPF<sub>6</sub> and (7) for LiBOB can be obtained using linear regression analysis technique:

$$\ln(\beta'/T_m^2) = 9.61 - 11054.56/T_m \ (r = 0.9674), \ (6)$$

$$\ln(\beta'/T_m^2) = 25.79 - 24678.84/T_m \ (r = 0.9761), \ (7)$$

where *r* is the linear related coefficient. Then  $E_a$  for LiPF<sub>6</sub>  $E_{\text{LiPF_6}}$  and  $E_a$  for LiBOB  $E_{\text{LiBOB}}$  could be accounted as  $E_{\text{LiPF_6}} = 11054 \cdot 56 * R = 91907 \cdot 61 \text{ J/mol}, E_{\text{LiBOB}} = 24678.84 * R = 205179 \cdot 88 \text{ J/mol}.$ 

Kissinger also claimed that the relationship between peak-type index S and reaction order n could be displayed as<sup>12</sup>

$$S = 0.63n^2$$
, (8)

where S could be obtained from figure 2 using the method given by reference 12. The average n of  $\text{LiPF}_6$  and LiBOB respectively accounted as 1.01 and 1.04.

## 3.3 *Studies on the isothermal kinetics of thermal decomposition*

For thermal decomposition reaction  $A \rightarrow$  Products, the common rate equation is

$$dx/dt - k(1-x)^n, (9)$$

where x is the sample's thermal decomposition rate at the time of t (in the unit of s), k the rate constant, and n equals to 1 in most occasions while the other few equals to 2.<sup>13</sup> If n = 1, the integral equation of (9) is

$$-\ln(1-x) = kt + C,$$
 (10)

where C is a constant, and when construct the curve of  $-\ln(1-x)$  with t, a line would be obtained with the slope value of k. But if n = 2, the integral of (9) will change to

$$1/(1-x) = kt + C,$$
(11)

with the line curve of 1/(1 - x) with t.

From (2) and (4), we know that the loss mass  $\Delta m$  is caused by the product of gas (PF<sub>5</sub> or CO and CO<sub>2</sub>). Then *x* can be expressed as

$$x_{\text{LiPF}_6} = \frac{\Delta m_{\text{LiPF}_6} \cdot M_{\text{LiPF}_6}}{m_{\text{LiPF}_6} \cdot M_{\text{PF}_5}} = \frac{\omega_{\text{LiPF}_6} M_{\text{LiPF}_6}}{M_{\text{PF}_5}}, \quad (12)$$

$$x_{\text{LiBOB}} = \frac{\Delta m_{\text{LiBOB}} \bullet M_{\text{LiBOB}}}{m_{\text{LiBOB}} \bullet M_{\text{C}_{3,5}\text{O}_5}} = \frac{\omega_{\text{LiBOB}} M_{\text{LiBOB}}}{M_{\text{C}_{3,5}\text{O}_5}}, \quad (13)$$

where *m* is the sample mass with the unit of *g*, *M* is the molecular weight with the unit of *g*,  $\omega$  is the rate of the mass loss at the time of *t* which could be gotten from TG curve, and  $M_{C_{35}O_5}$  equals to  $(4M_{CO} + 3M_{CO_2})/2$ .

Figure 3 shows  $\omega_{\text{LiPF}_6}$  and  $\omega_{\text{LiBOB}}$  at the time of t with different  $\theta_C$ . When we construct the curve of

**Table 2.** k of LiPF<sub>6</sub> and LiBOB at different  $\theta_C$ .

Sample	$\theta_{C}$ (°C)	$k(s^{-1})$	r
LiPF <sub>6</sub>	109·80	7·31E-5	0·9995
	118·79	1·14E-4	0·9991
	148·41	6·85E-4	0·9956
LiBOB	176.86	3.7E-3	0·9979
	278.51	3.82E-4	0·9746
	298.13	1.82E-3	0·9851
	317.65	4.50E-3	0·9956
	336.13	1.87E-2	0·9984



**Figure 3.**  $\omega$  at the time of t with different  $\theta_C$ . (a) LiPF<sub>6</sub>, (b) LiBOB.

 $-\ln(1 - x)$  or 1/(1 - x) with *t*, only the former has the linear shape that is shown in table 2. It proves that both *n* of LiPF<sub>6</sub> and LiBOB are 1 which is approximate to the results obtained from the non-isothermal kinetics of thermal decomposition.

Considering the Arrhenius equation

$$\ln k = \ln A - E_a / RT, \tag{14}$$

where *A* is the pre-exponential factor, *T* the temperature with the unit of *K* ( $T = \theta_C + 273 \cdot 15$ ), if we construct the curve of ln*k* with *I*/*T* using data in table 2, a line would be gotten with the slope value of  $-E_a/R$ and the interception of ln*A*. The linear equation for LiPF<sub>6</sub> (15) and LiBOB (16) respectively is that

$$\ln k_{\text{LiPF}_6} = 16.89 - 10150.77/T \ (r = 0.9986),$$
(15)

$$\ln k_{\rm LiBOB} = 31.96 - 21949.48/T \ (r = 0.9951),$$
(16)

from which we can get the  $E_a$  for LiPF<sub>6</sub>  $E_{\text{LiPF_6}}$  is 10150.77\*R = 84393.50, lnA for LiPF<sub>6</sub> ln $A_{\text{LiPF6}}$  is 16.89 s<sup>-1</sup>;  $E_a$  for LiBOB  $E_{\text{LiBOB}}$  is 21949.48\*8.314 = 182488.00 J/mol, lnA for LiBOB ln $A_{\text{LiBOB}}$  is 31.96 s<sup>-1</sup>.

### 4. Conclusions

Thermal decomposition of LiPF<sub>6</sub> and LiBOB are studied from their non-isothermal and isothermal kinetics. From the former, we calculate that  $n_{\text{LiPF}_6}$  is 1.01,  $n_{\text{LiBOB}}$  is 1.04,  $E_{\text{LiPF}_6}$  is 91907.61 J/mol, and  $E_{\text{LiBOB}}$  is 205179.88 J/mol; from the latter we calculate that n for both LiPF<sub>6</sub> and LiBOB are 1,  $E_{\text{LiPF}_6}$  is 84393.50 J/mol,  $E_{\text{LiBOB}}$  is 182488.00 J/mol,  $\ln A_{\text{LiPF}_6}$ is 16.89 s<sup>-1</sup>, and  $\ln A_{\text{LiBOB}}$  is 31.96 s<sup>-1</sup>. The results obtained from these two ways have minor differences and can be validated each other. And then, the mechanism of decompositions of both LiPF<sub>6</sub> and LiBOB were obtained to be Mample Power theorem, with random nucleation and later growth mechanism function.<sup>14</sup>

### Acknowledgements

This work was supported by the Key Technologies Research and Development Program of Qinghai Province, China (fund No. 2006-G-168).

### References

- 1. Hammami A, Raymond N and Armand M 2003 Nature (London) 424 635
- Markusson H, Johansson P and Jacobsson P 2005 Electrochem. Solid-State Lett. 8 A215
- Wietelmann U, Lischka U and Wegner M 2003 US Pat. US 6506516 B1
- Chen Z H, Lu W Q, Liu J and Ross Jr P N 2006 Electrochim. Acta 51 3322
- 5. Zhang G V, Xu K, Jow T R and Ross Jr P N 2004 Electrochem. Solid-State Lett. 7 A224
- Xu K, Zhang S S and Jow R 2005 J. Power Sources 143 197
- 7. Xu K, Zhang S S, Lee U, Allen J L and Jow T R 2005 J. Power Sources 146 79
- 8. Oesten R, Heider U and Schmidt M 2002 Solid State Ionics 148 391
- Ravdel B, Abraham K M, Gizendanner R, DicCarlo J, Lucht B and Campion C 2003 J. Power Sources 119– 121 805
- 10. Teng X G, Li F Q, Ma P H, Ren Q D and Li S Y 2005 Thermochim. Acta **436** 30
- 11. Yu BT, Qiu W H, Li F S and Xu G X 2006 Electrochem. Solid-State Lett. 9 A1
- 12. Kissinger H E 1957 Anal. Chem. 29 1702
- 13. Wang H, Yang H F, Luo R Y, Yang Y Q and Ran Q X 2001 Chem. J. Chinese. Universities **22** 234
- 14. Hu R Z, Yang Z Q and Liang Y Z 1988 *Thermochim.* Acta **123** 135